

What are compilers?

Dr. Barbara G. Ryder
Dept of Computer Science

ryder@cs.rutgers.edu

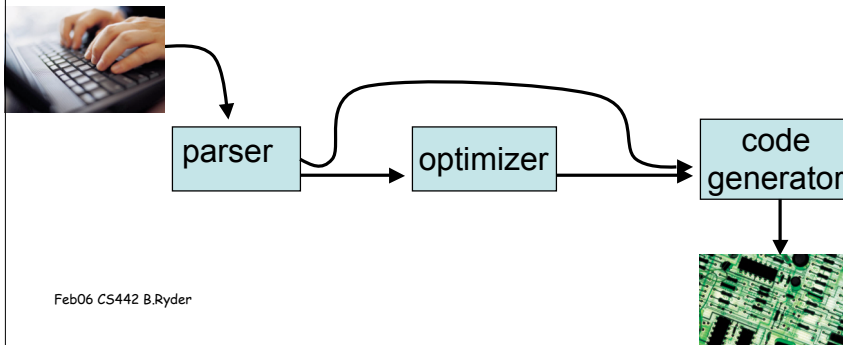
<http://www.cs.rutgers.edu/~ryder>

Feb06 CS442 B.Ryder

1

A Compiler

- A program that translates computer programs that people write, into a language that a machine can execute



Feb06 CS442 B.Ryder

2

Parser

- Programs are written in a high-level language such as Java or C++
 - A grammar description of the programming language describes a well-formed program
 - Example of an English grammar excerpt:
 - sentence = noun verb **John swims**
 - sentence = noun verb adverb **John swims well**
 - sentence = article adjective noun verb **the tall boy swims**
 - sentence = article noun verb **the boy swims**
- Parsers check that a program adheres to the rules of the programming language's grammar
 - If so, parser translates the program into an internal representation used by the compiler

Feb06 CS442 B.Ryder

3

Code Generator

- Translates the internal representation of a program into machine language
- Has all the info it needs in the internal representation and knows the program is correct according to the rules of the grammar
- Is targeted to output a specific machine language for a specific kind of computer
 - Can change to a different computer chip with a different instruction set by changing code generators, without other changes to the compiler

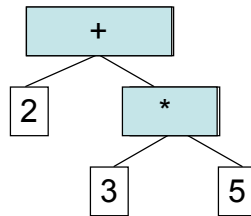
Feb06 CS442 B.Ryder

4

Arithmetic Expressions

- Arithmetic expressions using $+$ $*$ operations
 - Assume the acc can perform $acc=acc \langle op \rangle mem[const]$ where $\langle op \rangle$ can be any of $+$ $*$
- Assume we only use integer constants in our expressions
- How can we represent an expression?

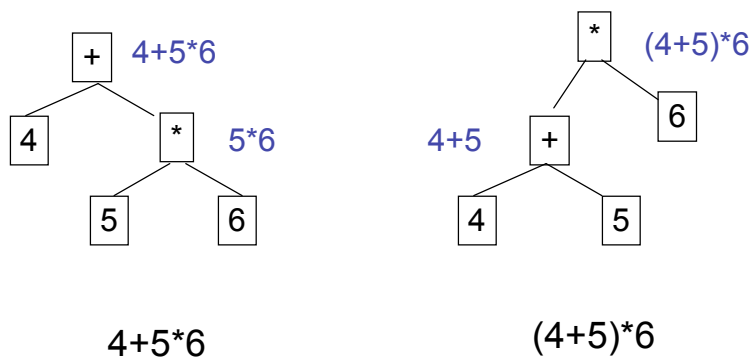
$2 + 3 * 5?$



Feb06 CS442 B.Ryder

5

Examples



$4+5*6$

$(4+5)*6$

Feb06 CS442 B.Ryder

6

Internal Representation

- As we parse an expression we can build a (tree) representation of it
- Let's consider expressions involving integer variables and integer constants

Feb06 CS442 B.Ryder

7

Example

⇒ $b = 3$

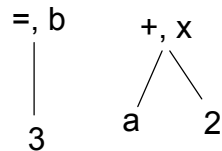
⇒ $x = a + 2$

$y = b + 1$

$z = y * x$

$w = a + 2$

$u = 4 * x$



Feb06 CS442 B.Ryder

8

Example

b = 3

x = a + 2

➤ **y = b + 1**

➤ **z = y * x**

w = a + 2

u = 4 * x

Feb06 CS442 B.Ryder 9

Example

b = 3

x = a + 2

y = b + 1

z = y * x

➤ **w = a + 2**

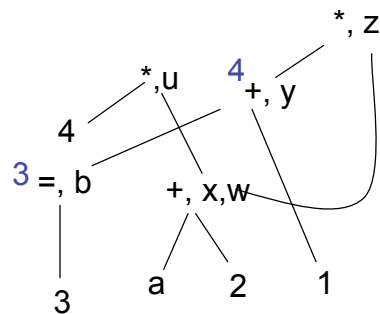
➤ **u = 4 * x**

Feb06 CS442 B.Ryder 10

Example

• Optimizations

- Two labels on a+2 node saves computation; is encoded as $x=a+2$; $w=x$;
- Can figure out constant operands

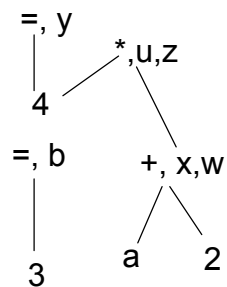


After find constants,
Then z and u are same
expression!

Feb06 CS442 B.Ryder

11

Example

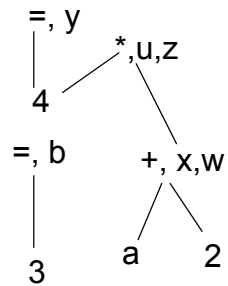


Now how to generate machine
language for this expression?
Walk the graph and at each
internal node, generate
appropriate code.

Feb06 CS442 B.Ryder

12

Transformed Code



```

b = 3
x = a + 2
w = x
y = 4
z = 4 * x
u = z
  
```

Feb06 CS442 B.Ryder

13

Comparison

Original code

b = 3

x = a + 2

y = b + 1

z = y * x

w = a + 2

u = 4 * x

Optimized code

b = 3

x = a + 2

w = x

y = 4

z = 4 * x

u = z

Note: fewer arithmetic operations and many inexpensive copies.

Feb06 CS442 B.Ryder

14

Code Generation

$b = 3$	$\text{mem}[42] = 3$
$x = a + 2$	$\text{acc} = 2$
	$\text{acc} = \text{acc} + \text{mem}[43]$
	$\text{mem}[44] = \text{acc}$
$w = x$	$\text{mem}[45] = \text{acc}$
$y = 4$	$\text{mem}[46] = 4$
$z = 4 * x$	$\text{acc} = 4$
	$\text{acc} = \text{acc} * \text{mem}[44]$
	$\text{mem}[46] = \text{acc}$
$u = z$	$\text{mem}[47] = \text{acc}$

Feb06 CS442 B.Ryder

15

Digging Deeper - Grammars

- How do we define well-formed expressions?

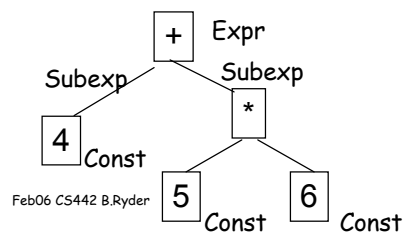
$\text{Expr} = \text{Const} \langle \text{op} \rangle \text{Const}$, where $\langle \text{op} \rangle$ is $+*$

- How do we show the rules of arithmetic for unparenthesized expressions?

$\text{Expr} = \text{Subexp} + \text{Subexp}$

$\text{Subexp} = \text{Const} * \text{Const}$

$\text{Subexp} = \text{Const}$



Feb06 CS442 B.Ryder

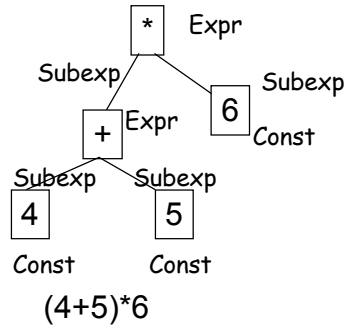
16

Grammar rules correspond to shape of the tree.

Examples

Expr = Subexp + Subexp
 Subexp = Const * Const
 Subexp = Const

Adding parenthesized expressions requires new rule:
Subexp = (Expr)



Feb06 CS442 B.Ryder

17

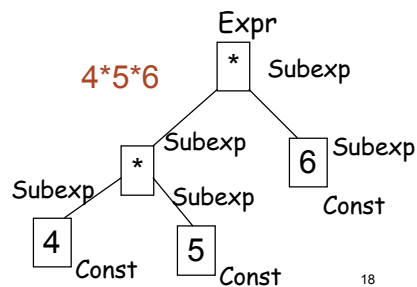
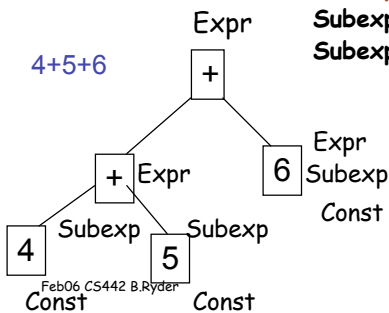
Example

Adding arbitrary length, nested subexpressions requires changing the grammar.

Expr = Subexp + Subexp
 Subexp = Const * Const
 Subexp = Const
 Subexp = (Expr)



Expr = Expr + Expr
Expr = Subexp
Subexp = Subexp * Subexp
Subexp = Const
Subexp = (Expr)



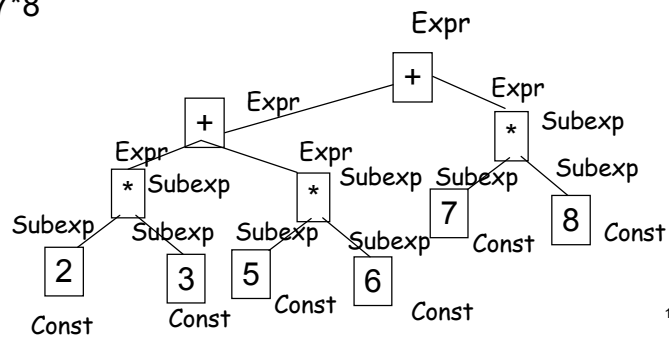
Feb06 CS442 B.Ryder

18

Complicated Example

Expr = Expr + Expr
Expr = Subexp
Subexp = Subexp * Subexp
Subexp = Const
Subexp = (Expr)

2*3+5*6+7*8



Feb06 CS442 B.Ryder

19

Summing Up

- Parser uses grammar rules to check expressions for correct structure -- *syntax*
- If correct, then builds the expression graphs
- Optimizes the graphs to find repeated subexpressions and constants that can be evaluated at compile-time
- Then generates code from the graph

Feb06 CS442 B.Ryder

20

Interpreters

- A compiler translates a program into machine language
- An interpreter translates the statements in a program by executing equivalent commands
 - No real translation step
- Interpretation requires that a programming language have a defined meaning for its statements -- *semantics*
 - Sometimes defined mathematically, sometimes in English.

Feb06 CS442 B.Ryder

21

Expression Interpreter

- Requires
 - input expression
 - rules for operator evaluation
 - a stack -- storage for partial results
 - Think of how you store plates in your cupboard;
 - » Take next plate to use off the top of the pile
 - » Stack newly cleaned plates on the top of the pile
 - » **LIFO: last-in, first-out**
- Example
 - Interpreter for un-parenthesized arithmetic expressions

Feb06 CS442 B.Ryder

22

Example

Initially,
Input: $2 * 3 + 5$

Operator
stack:
empty

Operand
stack:
empty

Input: $2 * 3 + 5$

empty

2

Input: $* 3 + 5$

*

2

Input: $3 + 5$

*

3

2

↑
top
of
stack

Feb06 CS442 B.Ryder

23

Example

$2 * 3 + 5$

Operator
stack:

Operand
stack:

*

3

Input: $+ 5$

2

+

6

Input: 5

+

5

Input: *empty*

empty

6

↑
top
of
stack

Answer on top of operand stack

11

Feb06 CS442 B.Ryder

24

Example

Initially,
Input: $2 + 3 * 5$

Operator
stack:
empty

Operand
stack:
empty

Input: $2 + 3 * 5$

empty

2

Input: $+ 3 * 5$

+

2

Input: $3 * 5$

+

3

2

↑ top
of
stack

Feb06 CS442 B.Ryder

25

$2 + 3 * 5$

Example

Operator
stack:

Operand
stack:

+

3

2

Input: $* 5$

*

3

2

Input: 5

+

*

5

+

3

2

↑ top
of
stack

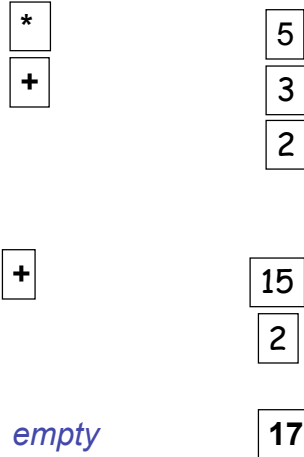
Feb06 CS442 B.Ryder

26

$$2 + 3 * 5$$

Example

Input: empty



Feb06 CS442 B.Ryder

27

Algorithm

- **When see operator input, compare to top of operator stack.**
 - If $+$ on stack and $+$ in input, pop 2 operands, evaluate their sum, push result on top of operand stack
 - If $+$ on stack and $*$ in input, push operator
 - If $*$ on stack and $+$ in input, pop 2 operands, evaluate the product, push result on top of operand stack
 - If $*$ on stack and $*$ in input, pop 2 operands, evaluate their product, push result on top of operand stack
- **Always push operands onto operand stack**
- **When input is empty, evaluate all operators left on stack**
- **Answer is on top of operand stack**

Feb06 CS442 B.Ryder

28

What's going on?

- Algorithm is enforcing rules of arithmetic, assuming we accumulate sums and products from left to right.
 - If + on stack and + in input, pop 2 operands, evaluate, push result on top of operand stack
 - » $2+3+4 \sim (2+3) + 4$
 - If + on stack and * in input, push operator
 - » Matches ? + ? * ?
 - If * on stack and + in input, pop 2 operands, evaluate, push result on top of operand stack
 - » Matches ? * ? + ?
 - If * on stack and * in input, pop 2 operands, evaluate, push result on top of operand stack
 - » $2*3*4 \sim (2*3) * 4$

Feb06 CS442 B.Ryder

29

How are interpreters useful?

- Allow prototyping of new programming languages (PL's)
 - Get to test out PL design quickly
 - E.g., Scheme, Prolog, Java
- A way to achieve **portability** and **universality** for a PL
 - Generate code to be interpreted by a Virtual Machine (VM)
 - Can install the PL on a different machine (i.e., chip) merely by rewriting the VM
 - As long as PL definition is carefully written (syntax and semantics), programs should work equivalently!
 - Model for Java (e.g., JVM - Java Virtual Machine)

Feb06 CS442 B.Ryder

30

Java

- **Language definition ~mid-1990's**
- **Used to write applications built out of pieces (e.g., libraries, components, middleware)**
 - Built by different people, in different places, on different machines
 - Works because of VM mechanism
- **Interpretation frees user from worries about machine-dependent translation details**

PLs & Compilers: An Incomplete History

- **1950's**
 - Machine language programming
 - Scientific computation in Fortran with first compilers
 - LISP for non-numerical computation
- **1960's**
 - First optimizing Fortran compiler (IBM)
- **1970's**
 - First program analyses designed to enable complex optimizations
 - C language and UNIX (Linux is a form of UNIX)
 - Optimizing for space and time savings

PLs & Compilers: An Informal History

- **1980's**
 - First widely-used object-oriented PLs - Smalltalk, C++
 - Compilers translate for parallel machines (e.g., Thinking Machines, Cray)
 - PLs allowing explicit parallelism (i.e., use of multiple processors; Ada)
- **1990's**
 - Birth of the Internet
 - PLs for explicitly distributed computation (e.g., across machines in a network)
 - Object-oriented PLs - Java (VMs)
- **2000's**
 - Compiling for low power
 - Special purpose (domain specific) PLs
 - Scalability, distributed computation, ubiquity

Feb06 CS442 B.Ryder

33